"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

V. 6. EVICH

USER/Engineering - Wind waves

Card 1/1

Pub. 22 - 8/52

Authors

Levich, V. G.

Title

The effect of turbulence on the generation and damping of wind waves on the surface of a liquid

Periodical

Dok. AN SSSR 101/4, 615-618, Apr 1, 1955

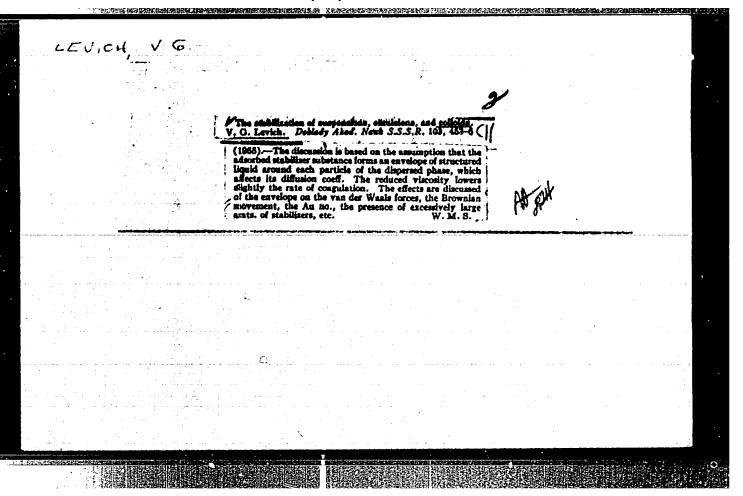
Abstract

Assuming that the wind velocity (U) is known, a method is described for the theoretical computation of the amplitude of wind waves on the surface of a liquid. Conditions under which the turbulent movement of a liquid is formed and the effect of this turbulent movement on the generation and damping of the waves are discussed. Formulas, which allow the theoretical figures to be compared with the experimental data are presented. Eleven references: 1 German, 3 English and 7 USSR (1925-1954). Graph.

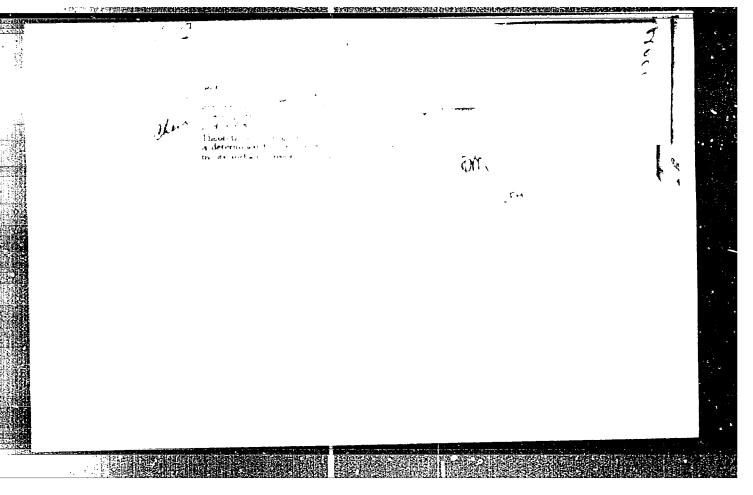
Institution: Acad. of Sc., USSR, Institute of Physical Chemistry

Presented by: Academician M. A. Leontovich, December 22, 1954

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LEVICH, Y.G

Levich, V.G., Myamlin, V.A. AUTHOR8:

76-11-11/35

TITLE:

The Motion of Mercury Drops in a Field of Gravity and in a Magnetic Field (Dvizheniye rtutnykh kapel' v pole tyashesti i v magnitnom

pole)

PERIODICAL:

Zhurnal Fizicheskoy Khimii, 1957, Vol. 31, Nr 11, pp. 2453-2457 (USSR)

ABSTRACT:

Here the motion of mercury drops in the electrolyte is investigated, where the total system is located in the field of gravity and the magnetic field. The computation, which was carried out in a system in which the drop was located, resulted in the following: Besides the vertical fall in the field of gravity an additional motion of the drop is oreated in a direction which is vertical to the field of gravity as well as to the magnetic field. The value for the velocity of motion is obtained and its order of magnitude is evaluated. There is 1 Slavio reference.

Card 1/2

Levich, V.C.

20-3-23/52

ATTHORS:

Koutetskiy, Ya., Levich, V. G.

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TITLE:

Use of a Rotating Disk-Electrode in the Study of Kinetic and Catalytic Processes in Electrochemistry (Primeneniye vrashchayushchegosya diskovogo elektroda k izucheniyu kineticheskikh i katalitichekikh protsessov v elektrokhimii)

.

Doklady AN SSSR, 1957, Vol. 117, Kr., 3, pp. 441 - 444 (USSR)

ABSTRACT:

PERIODICAL:

The present paper shows that the rotating disk as a device for the investigation of kinetic and catalytic currents offers considerable advantages as against the droplet electrode. Unlike what is the case with the simple electrode, processes on the rotating disk take place during steady operation. It is just this that facilitates the easy derivation of the formulae for the computation of complicated cases of reactions. This is an essential condition for the study of the velocities of kinetic reactions. Besides, the study of steady processes is also experimentally more simple. Finally, it is dy processes is also experimentally more simple. Finally, it is possible, in the case of the disk, also to vary experimental conditions considerably by modifying not only the pH-value of the solution, but also the rotation velocity of the disk. The authors do not intend here to deal with the entire manifold of the various kinetic and catalytic processes, but the present paper explains

Card 1/3

20-3-23/52

Use of a Rotating Disk-Electrode in the Study of Kinetic and Catalytic Processes in Electrochemistry

the characteristic method for the solution of problems occurring during the study of kinetic and catalytic processes on the basis of individual examples. As a first example a kinetic quasi-steady process is investigated, which develops in accordance with the scheme $A \xrightarrow{k_1} B$ (volume), $A \longrightarrow C$ (electrode). The computation is followed step by step. In the second characteristic example the volume reaction for the scheme $2A \xrightarrow{k_1} B$ is defined and is thus

of bimolecular character. There are 7^2 references, 4 of which are Slavic.

Card 2/3

Use of a Rotating Disk-Electrode in the Study of Kinetic and Catalytic

Processes in Electrochemistry

Institute for Physical Chemistry AN USSR (Institut fizichesko, khi-

ASSOCIATION: mii Akademii nauk SSSR)

Institute for Physical Chemistry of the Czechoslovakian AN (Institut fizicheskoy khimii Chekhoslovatskoy Akademii nauk)

PRESENTED:

March 13, 1957, by A. N. Frumkin, Academician

SUBMITTED:

January 18, 1957

AVAILABLE:

Library of Congress

Card 3/3

CIA-RDP86-00513R000929510016-8" APPROVED FOR RELEASE: 08/23/2000

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

Theory of an electric double layer at the boundary of a metal - electrolyte interface. Hek.vop.inzh.fiz. no.3:527 '58.

(Surface chemistry) (Electrolytes)

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

LEVICH, V. G.; KREMENEV, L. Ya.; TAUEMAN, A. B.; NATANSON, E. M.;

※ 計画語彙は設定器は記憶を表現を表現を表現を表現を表現を表現を表現を表現を表現を表現を表現が表現があるがあれる。

"The resistance of emulsions and suspensions in connection with the stabilizing action of structure-mechanical properties of protective surface layers,"

report presented at the Fourth All-Union Conference on Colloidal Chemistry, Thilisi, Georgian SER, 12-16 May 1958 (Koll zhur, 20,5, p.677-9, *58, Taubman, A.B)

76-32-3-14/43 Ivanov, Yu. B., Levich, V. G. AUTHORS:

TO THE HARD FOR THE PROPERTY OF THE PROPERTY O

The Convective Diffusion in a Binary Liquid System in TITLE:

the Critical Region

(Konvektivnaya diffusiya v dvoynoy zhidkoy sisteme v

kriticheskoy oblasti)

PERIODICAL: Zhurnal Fisicheskoy Khimii, 1958, Vol. 32, Nr 3,

pp. 592-597 (USSR)

ABSTRACT: Gibbs (ref 1) had already observed that the motive

force of the diffusion process represents the gradient of the partial (chemical) potential. The vanishing of the diffusion coefficient at the critical point in liquid binary systems was for the first time observed by I. R. Krichevskiy et al (ref 2), and (in the same laboratory) more by Yu. V. Tsekhanskaya (ref 3). In her exactly determinations the latter used a rotating disk of compressed

for which the process of terephthalic acid, triethylamine. solution was investigated using

The results of the solution-velocity values of the rotating

disk at 290° K, measured and calculated according to the

formula for the diffusion current. obtained by Levich, are Card 1/3

The Convective Diffusion in a Binary Liquid System in the 76-32-3-14/43 Critical Region

graphically represented. It is found that the applied formula and the theory of convective diffusion respectively, are not to be applied to the critical regions respectively, are not to be applied to the critical regions the the dependence n of the diffusion coefficient and of the solution on the concentration of the diffusing substance must be taken into seconds.

From the mathematical derivations

which were performed, it follows among others: that the calculations can be performed near the disk with the application of the derivation according to Karman. From a diapplication of the derivation according to Karman. From a diapplication of the derivation according to Karman. From a diapplication of the theoretical and experimental values of the dependence the flow(j) at the surface of the disk; on the solution concentration c, where both values coincide well, it follows that the obtained expression of the density of flow possesses that the obtained expression of the density of flow possesses a general character for all solutions and for the critical domain of concentration, where the flow of substance possesses a low dependence on the concentration c, and is proportional to VW. The numerical value of the coefficient proportional to VW. The numerical value of the coefficient and its dependence on possess different values in different

Card 2/3

The Convective Diffusion in a Binary Liquid System in the 76-32-3-14/43 Critical Region

solutions. There are 4 figures and 4 references, 4 of which are Soviet.

SUBMITTED: November 3, 1956

Card 3/3

AUTHORS:

Koutetskiy, Ya., Levich, V. G.

SOV/76-32-7-17/45

TITLE:

The Application of the Rotating Disk Electrode for the Investigation of Kinetic and Catalytic Processes in Electrochemistry (Primeneniye vrashchayushchegosya digkovogo elektroda k izucheniyu kineticheskikh i kataliticheskikh protsessov v

elektrokhimii)

PERIODICAL:

Zhurnal fizicheskoy khimii, 1958, Vol. 32, Nr 7, pp.1565-1575

(USSR)

ABSTRACT:

The electrode reactions, the course of which is closely connected with chemical side reactions in the volume of the solution, have recently been investigated systematically. The reactions may be divided into two groups: the so-called kinstic reactions in which one of the products of the chemical reaction in the inner volume of the solution diffuses to the electrode, and enters into the electrode reaction; this can be represent-

ed by the scheme

CIA-RDP86-00513R000929510016-8" **APPROVED FOR RELEASE: 08/23/2000**

SOV/76-32-7-17/45 The Application of the Rotating Disk Electrode for the Investigation of Kinetic and Catalytic Processes in Electrochemisty

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The second group are the catalytic reactions in which the substance participating in the electrode reaction is partly regenerated in the exchange reaction into which products of the electron reaction enter; this takes place according to the scheme:

exchange

electrode

 $nA + mB \rightarrow C$

 $c \longrightarrow 1 A$

The investigations of these two types of reactions have hitherto been carried out by means of the dropping mercury electrode,
it is, however, assumed that the method mentioned in the title
offers some advantages, as the processes take place within
thesteady regime; thus, calculation formulae for complicated
reactions may be obtained. On the other hand in the case of
disk electrodes besides the properties of the colutions also
the angular velocities of the rotation may be modified within
a wide interval, by which fact the experimental technique is
simplified. By means of some examples of kinetic and catalytic
processes the limit-diffusion currents at the surface of the
disk electrode are calculated. A kinetic process of quasimo-

Card 2/4

479.1

507/76-32-7-17/45

The Application of the Rotating Disk Electrode for the Investigation of Kinetic and Catalytic Processes in Electrochemistry

lecular character is investigated as first example as the constants of the reaction velocity λ \longrightarrow B depend on the concentration of any of the substances D being in the solution. The calculations were carried out for the case D₁ \neq D₂ in the convective diffusion according to E. R. Dogonadze; they are printed in the DAN USSR. A value δ_k of the thickness of the layer of the solution at the electrode surface is determined in which the reaction takes place kinetically (not in equilibrium). The authors montion the paper written by Budevskiy (Ref 6) in which reactions of bimolecular character as well as catalytic reactions of a quasinolecular character are described. There are 8 references, 5 of which are Soviet.

ASSOCIATION:

Akademiya nauk SSSH, Institut fizicheskoy khimii, Koskvaj Chekhoslovatskaya Akademiya nauk, Institut fizicheskoy khimii,

Praga

(Moscow Institute of Physical Chemistry, AS USSR). Prague, Institute of Physical Chemistry of the Czechoslovakian Aca-

Card 3/#

demy of Sciences)
Submitted Jan 57

10(4); 24(8)

PHASE I BOOK EXPLOITATION

SOV/3288

Levich. Veniamin Grigor'yevich

Fiziko-khimicheskaya gidrodinamika (Physicochemical Hydrodynamics) 2d ed., rev. and enl. Moscow, Fizmatgiz, 1959. 699 p. Errata slip inserted. 5,000 copies printed.

Ed.: Yu. A. Chizmadzhev; Tech. Ed.: S. N. Akhlamov.

PURPOSE: This book is intended for scientific workers, physicists, chemists, and advanced students of theoretical physics and physical chemistry.

COVERAGE: This book provides systematic treatment of problems in physicochemical hydrodynamics, i.e., studies on the influence of the movement of liquids on chemical or physicochemical changes as well as the influence of physicochemical factors on the movement of liquids. Studies are based on the work carried out in the electrochemistry section of the Institute of Physical Chemistry of the Academy of Sciences. This second edition differs from the first by including new findings on the theory of heat

Card 1

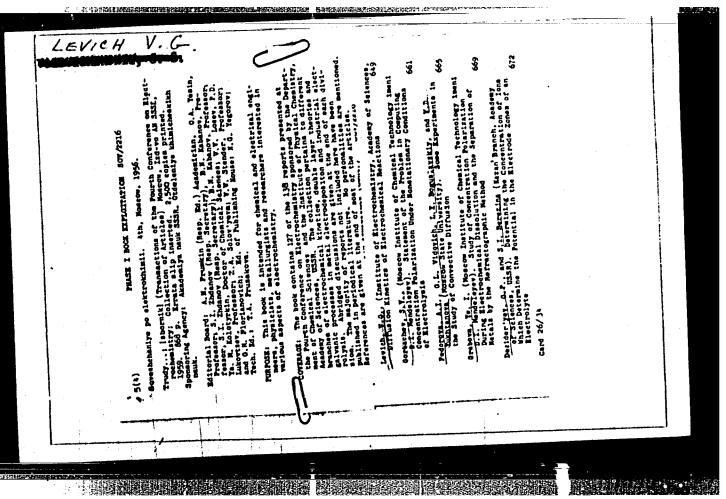
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LEVICH (V. G.)

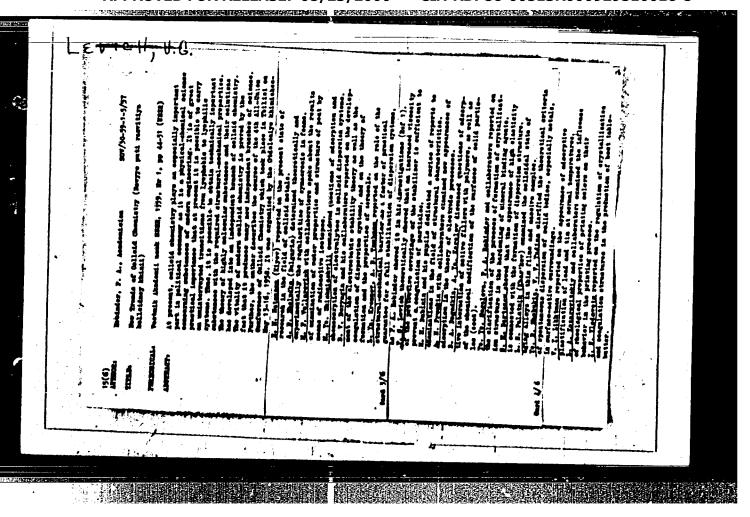
"On the Theory of Convective Diffusion"

report to be submitted for the Session of the Theoretical Division of the Electrochemical Society - Spring Meeting, Philadelphia, 4-7 May 1959. Abst. available E, 3, 128, 664

Institute of Electrochemistry, Leninsky Prospekt 31, Moscow



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APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8"

。在1915年的中国最初的国际企业和国际的基础的。但是是国际的基础的企业和企业的企业,并是由的企业的企业的企业的企业的企业,但可以可以企业的企业的企业。

sov/76-33-5-23/33

5(4) AUTHORS: Dogonadze, R. R., Levich, V. G., Chizmadzhev, Yu. A. (Moscow)

TITLE:

Calculation of the Electrochemical Protection (Raschet elektrokhimicheskoy zashchity). 1. A Process Determined by the Rate of the Electrochemical Reaction (1. Protsess, opredelyayushchi-

ysya skorost'yu elektrokhimicheskoy reaktsii)

PERIODICAL:

Zhurnal fizicheskoy khimii, 1959, Vol 33, Nr 5, pp 1111 - 1118 (USSR)

ABSTRACT:

The system protector - metal is an electrolytical cell. Since the calculation of this system is complicated because of great potential shifts and the effect of concentration polarization, a simplified model is investigated as a first approximation. The concentration polarization is neglected, the metal considered as being weakly polarized, the protector as strongly polarized. The calculation by means of successive approximation shows that in slight intervals the presupposition of the weakly polarized metal becomes unrealizable. A second model (Fig 1) is investigated; a carrent with a constant density j flows on its projector, a current with condensity j at both sides, whereas the current density

Card 1/2

Calculation of the Electrochemical Protection. SCV/76-33-5-23/33

1. A Process Determined by the Rate of the Electrochemical Equation

becomes zero at a great distance. The potential calculated (Fig 3) is a reasonable approximation for distances from the protector which are great as compared to its dimension. The calculation can be used if the protector has high polarizability whereas the metal has insignificant polarizability. The authors express their gratitude to Academician A. N. Frumkin for setting up the problem and to I. L. Rozenfel'd for judging the investigation. There are 4 figures and 6 references, 5 of which are Soviet.

ASSOCIATION: Akademiya nauk SSSR institut fizicheskoy khimii Moskva (Academy of Sciences of the USSR Institute of Physical Chemistry, Moscow)

SUBMITTED: November 1, 1957

Card 2/2

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

5(4) SOV/20-124-1-34/69 Levich. V. G., Corresponding Member, AUTHORS: AS USSR, Dogonadze, R. R. The Theory of the Radiationless Electron Transitions Between TITLE: Ions in Solutions (Teoriya bezyzluchatel'nykh elektronnykh perekhodov mezhdu ionami v rastvorakh) Doklady Akademii nauk SSSR, 1959, Vol 124, Nr 1, pp 123-126 PERIODICAL: (USSR) According to the authors' opinion, all theoretical papers ABSTRACT: dealing with this subject neglected to take proper account of the influence exercised by the solvent. In the present paper the solvent is considered to be a set of atoms which perform small oscillations round fixed positions of equilibrium. In the case of an electron transition that is considered to be a radiationless transition of the complete electron-solvent system, a certain number of oscillation quanta (phonons) is absorbed (or emitted). Calculations were carried out in adiabatic approximation and the atoms of the solvent were selected in form of a slow subsystem and the electron as a fast subsystem. The Hamiltonian of the complete system H(x, q) = H(x) + H(q) + V(x, q) consists of the electron part Card 1/3



The Theory of the Radiationless Electron Transitions SOV/20-124-1-34/69

 $H(x) = -(\hbar^2/2m)\nabla^2 + U(x, R)$, of the Hamiltonian of the

oscillating atoms $H(q) = (1/2) \sum_{x} \hbar \omega_{x} (q_{x}^{2} - \frac{\partial^{2}}{\partial q_{x}^{2}})$ and of the

energy of the interaction between electron and phonon. The coordinates x and q refer to the electron and phonon respectively. The potential U(x, R) describes the interaction between the electron and the ions between which there is a distance R, and between the electron and the static part of the solvent polarized by them. V(x, q) can be expanded in a series according to the powers of the small deviations of the atoms of the solvent from the positions of equilibrium. An expression is then derived for the total energy of the system. If the optical branch plays the principal part in electron-phonon interaction, the dispersion of frequencies and the anharmonic condition can be neglected. The rather long formula for the corresponding transition probabilities is explicitly written down. Finally, the acoustic branch is investigated. For the liquids under investigation it is of importance to take the

Card 2/3

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-

The Theory of the Radiationless Electron Transitions 507/20-124-1-34/69 Between Ions in Solutions

> anharmonic condition into account. Also for this case a formula for the transition probability is written down. If the acoustic branch plays the essential part, deviation from linearity begins at~240° K. There are 10 references, 2 of which are Soviet.

ASSOCIATION: Institut elektrokhimii Akademii nauk SSSR (Institute of Electrochemistry of the Academy of Sciences, USSR)

SUBMITTED: August 29, 1958

5(4) AUTHORS:

Vdovin, Yu. A.,

507/20-124-2-31/71

Levich, V. G., Corresponding Member, AS USSR, Myamlin, V. A.

TITLE:

The Volt-ampere Characteristic of the Contact Electrolyteelectron-semiconductor (Vol't-ampernaya kharakteristika kontakta elektrolit-elektronnyy poluprovodnik)

PERIODICAL:

Doklady Akademii nauk SSSR, 1959, Vol 124, Nr 2, pp 350-353

ABSTRACT:

An oxidation-reduction reaction of the type A+ + e == A is assumed to occur during passage of the current. For reasons of greater simplicity it is assumed that the ion concentration on the surface of the reaction is sufficiently great and that its supply from the interior of the solution is not a limiting stage of the above-mentioned reaction. The potential drop in the electrolyte is neglected, which is justified if the solution contains an addition of an indifferent electrolyte of sufficiently high concentration. First, the basic equations are written down, which connect the amperage, the charge density, and the electric field strength in the semiconductor with one another: j = eu[En + (kT/e)(dn/dx)] (e > 0),

Card 1/3

The Volt-ampere Characteristic of the Contact Electrolyte-electron-semiconductor

307/20-124-2-31/71

div $\vec{E} = -(4\pi e/e)(n - (n_{\infty}^2/n))$. Here u denotes electron mobility, n - their concentration, no - the concentration of the electrons within a domain that is sufficiently far from the contact. Such a selection of the charge density e corresponds to the weakly ionized donor-levels. The abovementioned system of equations can also be written down in dimensionless form: $(dz/dt) - zy - \lambda = 0$, (dy/dt) = z - (1/z). Contrary to what is the case in metal, concentration in a semiconductor may vary considerably. A generalized formula for the slowed-down discharge is written down. An auxiliary function is introduced for the solution of the dimensionless equation. First, the equation for this auxiliary function for low amperages is solved ($\lambda \ll 1$). An expression is written down for the entire voltage drop in a Helmholtz layer and in the semiconductor (after deduction of the ohmic voltage drop). After some further steps an expression is obtained for the volt-ampere characteristic. Next, the currents flowing in the locked direction are investigated. In this case the width of the united layer increases, and an expression for the

Card 2/3

The Volt-ampere Characteristic of the Contact Electrolyte-electron-semiconductor

807/20-124-2-31/71

volt-ampere characteristic corresponding to this case is written down. In this case the dependence of the potential on amperage is essentially determined by Tafel's law. The authors then deal with the non-locked direction. The rectifier effect depends both on the electrochemical reaction taking place in the semiconductor and on the properties of the semiconductors. The discussed system has marked rectifierproperties under the conditions investigated. The results of this paper apply also if different reactions predominate at different directions of the current. There are 4 references,

ASSOCIATION:

Moskovskiy inzhenerno-fizicheskiy institut (Moscow Engineering

SUBMITTED:

September 27, 1958

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Card 3/3

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

SOV/20-124-4-39/67 5(4)

Levich, V. G., Corresponding Member, AS USSR AUTHOR:

On the Theory of the Non-equilibrium Double Layer (K teorii TITLE:

neravnovesnogo dvoynogo sloya)

Doklady Akademii nauk SSSR, 1959, Vol 124, Nr 4, pp 869-872 PERIODICAL:

(USSR)

ABSTRACT: The author endeavors to synthetize two previous hypotheses concerning this phenomenon; in this connection he takes the

deviation of the concentration of the discharging ions in the double layer (during passage of the current) from the equilibrium concentration and also the finite rate of the discharge reaction into account. In this connection it is assumed that the current density is low compared to the diffusion limiting current, so that variations of the concentration of the reacting particles inside the solution beyond the boundaries of the double layer can be neglected. It is further assumed that the solution contains an addition of an indifferent electrolyte, in which case the concentration case of the reacting ions is very low compared to the concentrations c, and c, of the non-reacting ions. The carrying-over equa-

tions of ions are written down and the denotations occurring Card 1/3

On the Theory of the Non-equilibrium Double Layer SOV/20-124-4-39/67

therein are explained. The potential of the field satisfies a Poisson equation. Also the boundary conditions are given. Near the electrode the distribution of the potential and of the concentration is investigated only in the diffuse part of the double layer. Expressions are derived for the charge coefficients and for the current density j. The complete course of the function $j(\phi_0)$ is expressed by a curve with

a minimum and a maximum. At certain values of the constants approximation of the minimum and maximum may lead to the formation of a region on the curve in which amperage depends relatively little on φ_0 . The structural details of the

double layer were not considered by this paper. Particular interest is also caused by the formation of ion-pairs or ion-complexes of the type KS₂O₈ in the case of the reduction of S₂O₈. The following two limiting cases are possible: 1) Ion-pairs take part in the reaction, in which case the equilibrium between the ion-pairs and their components is conserved in the interior of the solution. 2) In the other limiting case the concentration of the ion pairs in the interior of the solution is very low and the rate of reaction is determined

by the rate at which these ion-pairs are formed within the

Card 2/3

On the Theory of the Non-equilibrium Double Layer 507/20-124-4-39/67

double layer. The author thanks Academician A. N. Frumkin for a useful discussion of the problems dealt with by the present paper. There are 10 references, 9 of which are Soviet.

ASSOCIATION: Institut elektrokhimii Akademii nauk SSSR

(Institute for Electrochemistry of the Academy of Sciences, USSR)

SUBMITTED: October 1, 1958

Card 3/3

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8"

5(4) AUTHORS:

Ivanov, Yu. B., Levich, V. G., Corresponding Member, AS USSR

TITLE:

The Investigation of Unstable Intermediate Products of Electrode Reactions by Means of the Rotating Disk Electrode (Izucheniye nestoykikh promezhutochnykh produktov elektrodnykh reaktsiy s pomoshoh'yu vrashchayushchegosya diskovogo elektroda)

PERIODICAL:

Doklady Akademii nauk SSSR, 1959, Vol 126, Nr 5, pp 1029-1032 (USSR)

ABSTRACT:

A. N. Frumkin (Ref 1) suggested to investigate the intermediates of electrode reactions by means of convective diffusion, i.e. the intermediate products forming on one electrode are collected by a second electrode spatially separated from the first. The ring disk electrode described in reference 1 proved to be hydrodynamically an optimum. The first electrode (Zone 1) forms the inner circular surface of the disk; here, the electrode reaction A —— B takes place. The particles of the intermediates are moved onto the outer annular electrode (Zone 3) which is separated from the inner circle by an annular insolating layer (Zone 2). The equation of the convective diffusion is written down, and the boundary conditions are fixed for the

Card 1/2

The Investigation of Unstable Intermediate Products of Electrode Reactions by

3 zones. The method of transforming this equation to an equation of heat conduction is applied to the solution of the equation of convective diffusion as shown in reference 2. After the transformation has been carried out it may be seen that the solution of each equation for an inner zone influences the solution of the outer zone as a boundary condition. The solutions found for the experimental conditions of reference 1 for current density and total current are given which, as reference 1 shows, are in sufficient qualitative agreement with the experiment so that they may be applied to the determination of the transformation constant k. The more general case is of interest in which the particles of the intermediate undergo transformations in the solution, e.g. by reaction with water. This problem is soon to be dealt with. There are 5 references, 4 of which are Soviet.

ASSOCIATION:

Institut elektrokhimii Akademii nauk SSSR (Institute of Electrochemistry of the Academy of Sciences, USSR)

SUBMITTED: Card 2/2

April 11, 1959

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8"

5(4)

AUTHORS:

Vdovin, Yu. A.; Levich, V. G., SOV/20-126-6-42/67

Corresponding Member, AS USSR; Myamlin, V. A.

TITLE:

Solution of Germanium (Anodnoye rastvoreniye The Anodic

germaniya)

PERIODICAL:

Doklady Akademii nauk SSSR, 1959, Vol 126, Nr 6, pp 1296-1299

(USSR)

ABSTRACT:

The results of germanium investigations hitherto obtained (Refs 1-4) permit already the drawing of conclusions as to the reaction mentioned in the title, although there are still contradictions. It is certain that a saturation current occurs in the dissolution of electronic germanium, whereas it lacks in holes germanium. In currents that are considerably smaller than the saturation current of n-germanium in both cases a linear dependence of the potential upon the logarithm of the density of the anode current is observed. Holes in the electrode are necessary for the primary electrochemical reaction. A quantitative investigation of the dissolution process is attempted. The voltage drop in the electrolyte is neglected with the exception of the voltage drop in the Helmholtz double layer. The ratio between holes current and electronic current

Card 1/3

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The Anodic

Solution of Germanium

SOV/20-126-6-42/67

is r/m. After several simplifications the voltampere characteristic (21) is found by means of a system of equations (1) - (4) for dz/dt, d/dt, dy/dt, dp/dt and below the saturation current the logarithmic dependence of the potential upon the current is confirmed. The following is derived for the saturation current: $j_{sat} = -n_1^2 D_+ e^2 u_- \frac{Q}{L} (1 + \frac{m}{r})$ (n; = concentration of the electrons in the semiconductor, Dr = diffusion coefficient of the holes, & = electron charge, u'_1 = mobility of the electrons, Q = specific resistance, L- diffusion length of the non-basic charge carriers). Under consideration of the data given by J. B. Flynn (Ref 4) it holds that m/r = 3. Thus, the reaction on the surface requires 1 hole, and 3 electrons, are liberated. The values deviating herefrom, found in other papers (Refs 2,10), are likely to be due to surface effects. There are 10 references, 4 of which are Soviet.

Card 2/3

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8 。 一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种大型,是一种

The Anodic Dissolution of Germanium

SOV/20-126-6-42/67

ASSOCIATION:

Institut elektrokhimii Akademii nauk SSSR (Institute of

Electrochemistry of the Academy of Sciences, USSR)

SUBMITTED:

April 9, 1959

Card 3/3

84634

S/076/60/034/010/016/022 B015/B064

188300

1530,1138, 1454

Dogonadze, R. R., Levich, V. G., Chizmadzhev, Yu. A.

AUTHORS:

Theory of the Electrochemical Protection. II. Reactions With

Diffusion Control

18

PERIODICAL:

Zhurnal fizicheskoy khimii, 1960, Vol. 34, No. 10,

pp. 2320 - 2327

TEXT: In a previous paper (Ref. 1), the authors determined the distribution of the potential in a system consisting of a metal (cathode) and a protector (anode), however, without taking account of the concentration polarization. In practice, however, metal corrosion frequently takes place in the presence of dissolved oxygen. The oxygen concentration may, however, be so low that the total rate of the corrosion process in the system metal - protector depends on the access velocity of oxygen. The present paper investigates this case. Since the access of oxygen in mixing through the solution (which is mainly the case in practice) depends on the convective diffusion, the most simple case, i.e. the convective diffusion to the surface of a rotating metal disc which is in the center of the Card 1/2

84634

Theory of the Electrochemical Protection. II. Reactions With Diffusion Control

S/076/60/034/010/016/022 B015/B064

protector, was chosen. In contrast to the experiments by Wagner (J.Electrochem.Soc. 24, 380,1957), in the present case the diffusion current has the same value in all points of the system. The conditions are discussed under which it is possible to separate the surface of the protected metal into diffusion- and kinetic regions, and the corresponding equations are derived. By means of the Legendre polynomials equations are in the case in which the metal can be regarded as non-polarizable in the kinetic region. There are 2 figures and 6 references: 5 Soviet and

ASSOCIATION: Akademiya nauk SSSR Institut Elektrokhimii (Academy of Sciences of the USSR Institute of Electrochemistry)

SUBMITTED: February 5, 1959

Card 2/2

8/020/60/133/01/44/070 B004/B007

Levich, V. G.; Corresponding Member AS USSR, Dogonadze, R. R.

AUTHORS: An Adiabatic Theory of Electron Processes in Solutions

TITLE Doklady Akademii nauk SSSR, 1960, Vol. 133, No. 1,

PERIODICAL: pp: 158 - 161

TEXT: The present paper deals with the further development of the theory of electron processes in polar solvents. For the solvent the authors define the conception P(T) of specific polarization and for the system ion - electron - solvent, they write down the Hamiltonian (1): $H(\vec{r},q) = H_{e}(\vec{r}) + H_{g}(q) + V_{es}(\vec{r},q). H_{e} \text{ relates to the kinetic energy of}$ the electron, the energy of the interaction between electron and ions, as well as to a term taking the influence exerted by the static polarity P upon the electron into account. H relates to the kinetic and potential energy of the solvent as dependent on the polarization P produced by the electron. Ves is the potential energy of the electron in dependence on P

Card 1/2

S/020/60/134/002/041/041xx B004/B067

AUTHORS:

Levich, V. G., Corresponding Member of the AS USSR and

Chizmadzhev, Yu. A.

TITLE:

Convective Instability in an Electrochemical System

PERIODICAL:

Doklady Akademii nauk SSSR, 1960, Vol. 134, No. 2,

pp. 380-383

TEXT: The present work was instigated by the undamped oscillations of the potential of the mercury drop in the range of potential drop and of the current flowing through the drop in the potentiometric reduction of persulfate anion on the dropping mercury electrode. This discovery has been made by A. Ye. Gokhshteyn and A. N. Frumkin (Ref. 1). The authors attempted to explain the part played in this effect by a tangential movement on the surface of the Hg drop. They proceed from the similating scheme shown in Fig. 2: a = radius of the drop; z = axis with respect to which the distribution of ionic concentrations and potentials is invariant, and which depends only on the radius r and the angle θ .

\$/020/60/135/006/026/037 B004/B056

26.1620

Levich V. C. Corresponding Member AS USSR, Kir'yanov, V.A.,

and Krylov, V. S.

TITLE:

AUTHORS:

Effects of the Discrete Nature of the Charge and Properties of the Double Layer on the Metal-Charge Interface (Taking

Account of the Discrete Structure of the Charge of

Specifically Adsorbed Layers of Ions)

PERIODICAL:

Doklady Akademii nauk SSSR, 1960, Vol. 135, No. 6,

pp. 1425 - 1428

TEXT: From various papers by other research workers the authors conclude that the model of an electric double layer with uniformly "smeared out" charge does not correspond to the experimental results. In the present paper, they give a report on a quantitative investigation of the effects of discrete charges of the electric double layer on the metal - solution interface. The following equations are written: for the potential jump in the layer of adsorbed anions at the point of the electrocapillary maximum: $\delta \psi = \psi = -4\pi\sigma T/D$ (5), and in the case of a charged interface as a result [a]

X

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8"

87410

Effects of the Discrete Nature of the Charge S/020/60/135/006/026/037 and Properties of the Double Layer on the B004/B056
Metal-Charge Interface (Taking Account of the Discrete Structure of the Charge of Specifically Adsorbed Layers of Ions)

of the charge q of the metal: $\delta \psi = \psi_0 = \delta \psi_a + \delta \psi_q$; $\delta \psi_q = -4\pi q (\beta + \gamma)/D$ (6) of denotes the average charge in the adsorbed layer; D is the dielectric constant of the internal region; β is the minimum distance between metal and anion, and $\beta + \gamma$ is that between metal and cation. For the micropotential of the point charges the following relation is obtained: $\psi^A = \psi_1 + \left[\gamma/(\beta + \gamma)\right] (\delta \psi_a + \delta \psi_q) (10), \text{ where } \psi_1 \approx (e/D\gamma) \ln 2. \text{ Provided the surface of the electrode is not too largely occupied, equation (10) agrees well with experimental data. For the dependence of the potential jump <math>\delta \psi_a$ on the concentration and activity a_+ of the anions,

 $\delta(\delta\psi_a)/\delta \ln a_+ = (RT/F\delta\psi_a) - \left[\delta\psi^A/\delta(\delta\psi_a)\right]^{-1}RT/F$ (12) is found. An estimate of the values of β and γ from the data on ionic radii, and a calculation from equation (12) gave good agreement with the experimental data on the mercury - solution interface. The authors thank A. N. Frumkin for a discussion. There are 13 references: 7 Soviet, 3 US, 3 British, and

Card 2/3

87410

Effects of the Discrete Nature of the Charge S/020/60/135/006/026/037 and Properties of the Double Layer on the B004/B056 Metal-Charge Interface (Taking Account of the Discrete Structure of the Charge of Specifically Adsorbed Layers of Ions)

1 German.

ASSOCIATION: Institut elektrokhimii Akademii nauk SSSR (Institute of Electrochemistry of the Academy of Sciences USSR)

SUBMITTED: September 26, 1960

Card 3/3

LEVICH, V. G.; DOGONADZE, R.

Adiabatic theory of electric processes in solutions. Coll Cz chem (KEAI 10:9)
26 no.1:193-214 Ja '61.

1. Institut elektrokhimii, Akademija nauk, SSSR, Moskva.

(Adiabatic changes) (Electrochemistry) (Solutions)

LEVICH, V.G.; KHAYKIN, B.I.; KIR'YANOV, V.A.

Faraday impedance for reversible electrode processes proceeding according to the pattern of hydrogen catalytic evolution. Dokl.

AN SSSR 139 no.4:925-928 Ag 161. (MIRA 14:7)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Polarization (Electricity)) (Electromotive force)

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

LEVICH, V.G.; KRYLOV, V.S.

Theory of the double electric layer in concentrated solutions.

Dokl. AN SSSR 141 no.6:1403-1405 D '61. (MIRA 14:12)

1. Institut elektrokhimii Akademii nauk SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Electrolyte solutions)

LEVICH,

"The rotating disk electrode in electrochemistry."

Report submitted to the Intl. Committee for electrochemical thermodynamics and kinetics, Rome, taly 24-29 Sep 1962

CIA-RDP86-00513R000929510016-8" APPROVED FOR RELEASE: 08/23/2000

LEVICH, Veniamin Grigor yevich; VDOVIN, Yuriy Aleksandrovich;
MYAMLIH, Viktor Alekseyevich; LIVSHITS, B.L., red.;
ALEKSEYEV, A.I., red.; BRUDNO, K.F., takhn. red.

[Course in theoretical physics]Kurs teoreticheskoi fiziki. Moskva, Fizmatgis. Vol.2.[Electromagnetic processes in matter]Elektromagnitnye protsessy v veshchestve. Kvantovaia mekhanika. Pod red. V.G.Levicha. 1962. 819 p. (MIRA 16:3)

1. Chlen-korrespondent Akademii nauk SSSR (for Levich).
(Electromagnetism) (Quantum theory)

LEVICH, Veniamin Grigor'yevich; ALEKSEYEV, A.I., red.; LIVSHITS, B.L., red.; ERUDNO, K.F., tekhn. red.

[Course in theoretical physics] Kurs teoreticheskoi fi; iki. Moskva, Fizmatgiz. Vol.1. [Electromagnetic field theory. Relativity theory. Statistical physics] Teoriia elektromagnitnogo polia. Teoriia otnositel'nosti. Statisticheskaia fizika. 1962. 695 p. (MIRA 15:12)

(Physics)

LEVICH, V.G.; YALAMOV, Yu.I.

Theory of polyelectrolyte solutions. Part 1: Low degrees of ionization. Zhur.fiz.khim. 36 no.5:1096-1102 My '62.

(MIRA 15:8)

1. Institut elektrokhimii, AN SSSR.
(Electrolyte solutions) (Polymers) (Electromotive force)

LEVICH, V.G.; KIR!YANOV, V.A.

Contribution to the theory of strong electrolyte solutions.

Zhur.fiz.khim. 36 no.8:1646-1654 Ag '62. (MIRA 15:8)

1. Institut elektrokhimii AN SSSR. (Electrolyte solutions)

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

LEVICH, V.G.; KRYLOV, V.S.

Adsorption isotherm in a discrete double electric layer model.

Dokl. AN SSSR 142 no.1:123-126 Ja 162. (MIRA 14:12)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Adsorption)

LEVICH, V.G.; YALAMOV, Yu.I.

Potential distribution at the surface of a strongly icnized polymer macromolecule in an electrolyte solution. Dokl. AN SSSR 142 no.2:399-402 Ja '62. (MIRA 15:2)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Polymers)
(Electromotive force)
(Electrolyte solutions)

34480 \$/020/62/142/004/017/022 B101/B110

STREET, AND STREET, AND STREET, STREET,

5.4700 (als. 1208)

AUTHORS: Levich V

Lavich V. C., Consesponding Member AS USSR, and Yalamov, Yu. I.

TITLE:

Problems of the theory of polyelectrolytes at low degrees of ionization

PERIODICAL: Akademiya nauk SSSR. Doklady, v. 142, no. 4, 1962, 851 - 854

TEXT: The discrete distribution of the charge on the surface of a spherical macro-ion is investigated. The interface macro-ion - electrolyte is assumed to be plane. The polymer I has the dielectric constant \mathcal{E}_1 , the electrolyte II the dielectric constant \mathcal{E}_2 . The charge q is at a depth h below the surface of I. $\Delta \Psi = -(4\pi/\mathcal{E}_1)q\delta(x)\delta(y)\delta(z+h)$ (1) is written down for I; $\Delta \Psi = -(4\pi/\mathcal{E}_2)\sum_{i=1}^{8} \exp(-z_i \exp/T)$ (2) for II. Eq. (2) is linearized: $\Delta \varphi - \mathcal{H} \varphi = 0$ (3), where $\mathcal{H}^2 = (4\pi e^2/\mathcal{E}_2 T)\sum_{i=1}^{8} n_i z_i^2$. The solution of Eqs. (1) and (3) in the range $-\infty/2 < 0$ and $0 < z < \infty$ for the boundary Card 1/3

Problems of the theory of... S/020/62/142/004/C17/022B101/B110

conditions $\Psi|_{z=0} = \Psi|_{z=0}$; $\mathcal{E}_1\partial\Psi/\partial z|_{z=0} = \mathcal{E}_2\partial\Psi/z|_{z=0}$; $\Psi|_{z=\infty} = \Psi|_{z=-\infty} = 0$, and for $z < 1/\pi$ produces the potential: $\Psi(q,z) \approx \left[2q/(\mathcal{E}_1 + \mathcal{E}_2) \right] \left[\exp(-\pi \sqrt{q^2 + z^2})/\sqrt{q^2 + z^2} \right].$ For the repulsion between two charges q_1 , q_2 with the distance d on the surface of I holds: $\Delta\Psi = -(4\pi/\mathcal{E}_1) \left[q_1\delta(x)\delta(y)\delta(z+h) + q_2\delta(x-d)\delta(y)\delta(z+h) \right].$ For $q_1 = q_2 = q_1$, and h = 0, the following potential is found: $\Psi(x,y,z) = \left[2q/(\mathcal{E}_1 + \mathcal{E}_2) \right] \left[\exp(-\pi \sqrt{q^2 + z^2})/\sqrt{q^2 + z^2} + \exp(-\pi \sqrt{q^2 + z^2})/\sqrt{q^2 + z^2} \right].$ Where $q_1 = \sqrt{(x-d)^2 + y^2 + z^2}$. The interaction between the ionic clouds surrounding the charges is determined from: $p = -(\partial/\partial d)(\mathcal{E}_d - \mathcal{E}_{\infty}).$ is the free electric energy of the system of two charges and the respective ionic clouds with the distance $q_1 = q_2$ corresponds to $q_2 = q_1$. Already for $\pi(d \approx 1)$, $p_1 = q_2$ differs little from the interaction of two punctiform charges in the absence of an electrolyte. With increasing ionization of B Card 2/3

Problems of the theory of ...

S/020/62/142/004/017/022 B101/B110

macromolecule, the electrostatic interaction may thus have a strong of the on the configuration of macromolecule links. There are 2 figures and 6 references: 1 Soviet and 5 non-Soviet. The four references to English-language publications read as follows: G. E. Kimball, M. Cutler H. Samelson, J. Phys. Chem., 56, no. 1, 57 (1952); J. Kagawa, M. Magasawa J. Polym. Sci., 16, 299 (1955); Y. Ykeda, J. Phys. Soc. Japan, 8, 49 (1953); S. Lifson, A. Katchalsky, J. Polym. Sci., 13, 43 (1954).

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ASSOCIATION: Institut elektrokhimii Akademii nauk SSSR (Institute of Electrochemistry of the Academy of Sciences USSR)

SUBMITTED: October 14, 1961

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Card 3/3

74,2200 (1144, 114, 146)

s/020/62/143/001/010/030 B104/B108

AUTHORS:

Levich, V. G., Corresponding Member of the AS USSR, and

Gurevich, Yu. Ya.

TITLE:

Effect of a magnetic field on the surface waves of

conductive liquids

PERTODICAL:

Akademiya nauk SSSR. Doklady, v. 143, no. 1, 1962, 64-67

TEXT: The propagation of gravitation-capillary waves in conductive liquids under the action of an external magnetic field is studied. The periodical solution of the linearized equations of magnetohydrodynamics

$$\frac{\partial \mathbf{v}}{\partial t} = -\frac{1}{\rho} \nabla \rho + \mathbf{g} + \frac{1}{4\pi\rho} [\operatorname{rot} \mathbf{h} \mathbf{H}_0], \quad \frac{\partial \mathbf{h}}{\partial t} = \operatorname{rot} [\mathbf{v} \mathbf{H}_0], \quad (1),$$

$$\operatorname{div} \mathbf{v} = 0, \quad \operatorname{div} \mathbf{h} = 0.$$

are sought. The external magnetic field \hat{H}_0 is assumed to be in the direction of the gravitational field, which leads to the particular solution

$$v_x = \frac{4\pi\rho k l}{4\pi\rho\omega^3 + k^2H_0^2} Ce^{ikx+kz}, \quad v_y = 0, \quad v_z = \frac{4\pi\rho k}{4\pi\rho\omega^3 + k^2H_0^2} Ce^{ikx+kz}. \tag{7}$$

Card 1/3

S/020/62/143/001/010/030 B104/B108

Effect of a magnetic field ...

To this solution must be added the solution

$$\mathbf{v} = \mathbf{B}e^{-l(pz+\mathbf{e}t)}, \tag{9}$$

of the homogeneous equation

$$\omega^2 \mathbf{v} + \frac{H_0^2}{4\pi \rho} \frac{\partial^2 \mathbf{v}}{\partial z^2} = 0. \tag{8},$$

which describes the Alfvén waves propagating into the liquid. $p = 4\pi\omega^2/\tilde{H}_0^2$ The electromagnetic field extends above the surface of the liquid to a height equal to about two wavelengths of the surface waves. The liquid particles in the waves move in circles, the radius of which decreases exponentially with the depth. The dispersion of the magnetohydrodynamic gravitational waves is described by

$$\frac{\omega \rho}{k} - g \rho = -\frac{H_0^2}{4\pi} k. \tag{21}.$$

This shows that gravitational waves with a wavelength smaller than $\lambda_{\rm CT} = \frac{H^2}{\sigma}/4\pi qg \text{ cannot propagate along the surface of the liquid. The effect of surface tension is investigated on the assumption that if does not depend on the magnetic field and that the electromagnetic tensions are Card 2/3$

Effect of a magnetic field ...

S/020/62/143/001/010/030 B104/B108

low. Without attenuation, the propagation of sufficiently short or sufficiently long waves is possible, the dispersion law not depending on the orientation of the magnetic field relative to the direction of gravitation. The propagation of sufficiently short waves (capillary waves) is always possible. There are 5 references: 4 Soviet and 1 non-

ASSOCIATION:

Institut elektrokhimii Akademii nauk SSSR (Institute of Electrochemistry of the Academy of Sciences USSR)

SUBMITTED:

December 15, 1961

Card 3/3

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

LEVICH, V.G.; KHAYKIN, B.I.; MAYRAHOVEKIY, S.G.

Effect of the double layer on the polarographic catalytic hydrogen space waves. Doklean SSSR 145 no.31605-608 Jl 162.

(MHA 15.7)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Catalysis) (Electromotive force)

LEVICH, V.G.; KUZNETSOV, A.M.

Motion of drops in liquids under the effect of surface active agents. Dokl. AN SSSR 146 no.1:145-147 S 162. (MIRA 15:9)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).
(Hydrodynamics) (Surface active agents)

LEVICH, V.G.; GRAFOV, B.M.

Alternating current in a binary electrolyte. Dokl. AN SSSR 146 no.2:398-401 S '62. (MIRA 15:9)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Electrochemistry)

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8"

LEVICH, V.G.; GRAFOV, B.M.

Reflect of the reaction irreversibility on Faraday's impedance in a binary electrolyte. Dokl. AN SSSR 146 no.3:644-645 S *62. (MIRA 15:10)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Electrochemistry)

LEVICH, V.G.; GRAFOV, B.M.

Rectification effect on an ideally polarizable electrode. Dokl. AN SSSR 146 no.6:1372-1373 0 162. (MIRA 15:30)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Electromotive force) (Polarization (Electricity))

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8"

LEVICH, V.Q.; KHAYKIN, B.I.

Irreversible polarographic catalytic space waves of hydrogen. Dokl. AN SSSR 147 no.1:146-149 N '62.

(MIRA 15:11)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Polarography) (Catalysis) (Hydrogen)

S/020/62/147/004/015/027 B142/B102

3 17

AUTHORS:

5000

Levich, V. G., Corresponding Member AS USSR, Golovin, A. M.

TITLE:

Rain shower theory

PERIODICAL: Akademiya nauk SSSR. Doklady, v. 147, no. 4, 1962, 829-832

TEXT: The oversaturation of the cloud with humidity, taking account of droplet coagulation, is studied here by means of cloud models as first used by Ya. I. Frenkel' and N. S. Shishkin (Izv. AN SSSR, ser. geogr. i geofiz., 10, 301 (1946)). The oversaturation depends on the altitude, because this lowers the temperature and therefore the vapor pressure necessary for saturation. Oversaturation is slowed down by condensation. Coagulation causes the oversaturation to increase again with altitude. At a height of $z \approx 2$ km, V(z) = volume of the droplets at the height z reaches its boundary value ($\sim 3 \cdot 10^{-6}$). Coagulation affects rising as well as falling drops. The rules of coagulation are discussed for both cases. Some of the coagulation drops, however, are destroyed again by the rising turbulent air current. Thus a cycle can occur. Passage through several such cycles is a necessary condition for the development

Card 1/3

S/020/62/147/004/015/027 B142/B102

Rain shower theory

of a rain shower. Their number can be estimated from the formula

$$N_k f \frac{1 - f^n}{1 - f} \left(\frac{r_k}{r_n} \right)^3 \varrho \Omega^2 R_m \approx \varrho_o \omega^2 .$$

 N_k = initial number of droplets with radius r_k per unit of volume at the height where the big droplets disintegrate. f = probability of water retention of a droplet within the cycle, n = number of cycles, q = water density, q_0 = density of the rising air current, R_m = radius of the droplet that disintegrates, ω = rate of the rising air current, $\Omega \approx 2 \cdot 10^3 \text{ cm}^{1/2}/\text{sec.}$ The problem of the cycle stability, e.g. the possibility of humidity loss from the cycle, is also investigated. The English-language reference is: W. Howell, J. Meteorol., 6, No. 2, 134 (1949).

Card 2/3

Rain shower theory

8/020/62/147/004/015/027 B142/B102

ASSOCIATION: Institut elektrokhimii Akademii nauk SSSR (Institute of Electrochemistry of the Academy of Sciences USSR)

SUBMITTED: June 16, 1962

Card 3/3

LEVICH, V. C. GRAFOV, B. M.

Faraday's rectification in a binary electrolyte solution, Dokl. AN SSSR 147 no.6:1402-1405 D 162.

(MIRA 16:1)

1. Institut elektrokhinii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

(Electrolyte solutions)

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

LEVICH, V. G.; DOGOWADZE, R. R.

"Present State of the Theory of Electron Transfers in Solutions."

Report presented at the 11th meeting CITCE, Intl. Comm. of Electrochemical Thermodynamics and Kinetics, Moscow, 19-25 Aug 63.

Institute of Electrochemistry, Academy of Sciences of USSR, Moscow

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8"

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R000929510016-8

LEVICH, V.G.; FILINOVSKIY, V.Yu.

2

Utilization of the hanging drop electrode in research on unstable products of electrode reactions. Bul chim PAN 11 no.12:705-710 '63.

1. Institute elektrokhimii kademii nauk, Moskva. Predstavleno V. Kemuley [Kemula, W.].

LEVICI, V.G. [Levich, V.G.]; KIREANOV, V.A. [Kir'yanov, V.A.]

Statistic theory of the solutions of strong electrolytes. Analele chimis 18 no.2:94-104 Ap-Je '63.

(MIRA 17:3)

KRYLOV, V.S., LEVICH, V.G. Theory of the double electrical layer in concentrated solutions. Part 1. Zhur.fis.khim. 37 no.1:106-114 Ja '63.

1. Institut elektrokhimii AN SSSR.

CIA-RDP86-00513R000929510016-8" APPROVED FOR RELEASE: 08/23/2000

S/076/63/037/002/007/018 B101/B186

AUTHORS:

Levich, V. G., Yalamov, Yu. I. (Moscow)

TITLE:

Determination of the potential at the surface of a cylindrical polymer macromolecule in electrolyte solution

PERIODICAL:

Zhurnal fizicheskoy khimii, v. 37, no. 2, 1963, 333-339

TEXT: The distribution of the potential is calculated for the surface of a cylindrical macromolecule in an electrolyte solution, whose length h is notably greater than its radius a. Based on the Poisson Boltzmann potential distribution in the neighborhood of a cylinder, $\Delta \Psi = -4\pi \varrho/D$, where D is the dielectric constant of the solution and ϱ is the density of charge, $e_1 \Delta \Psi/kT = \ln \left[(\kappa_1^2/2\beta^2) \sinh^2 \delta \right] - \alpha C_p/(\alpha C_p + 2C_{el})$ is obtained. Here e_1 is the charge of the ion of a mono-monovalent electrolyte; $\kappa_1^2 = 4\pi n_1 e_1^2/DkT$, where n_1 is the total of the counter-ions and electrolyte ions having a charge opposite in sign to that of the macro-ion;

Card 1/4

Determination of the potential ... S/076/63/037/002/C07/018 B101/B186 $\beta^2 = \kappa_2^2 \left[n_1/(n_1 + n_2) \right]^2 \cdot f^2(2\kappa_2 a) - \kappa_1^2 \cdot 2 \cdot 71/2; \; \kappa_2^2 = 4\pi e^2 (n_1 + n_2)/kTD,$ $e = 4.8 \cdot 10^{-10} \text{ cgs units; } n_2 \text{ is the number of electrolyte ions, the sign of which is consistent with that of the surface charge of the macro-ion at <math>Y = 0$; $f = K_1(2\kappa_2 a)/K_0(2\kappa_2 a)$. The constant δ is calculated from: cth $\delta = -\nabla e^2/kTDha\beta - \left[n_1/(n_1 + n_2) \right] \kappa_2 f(2\kappa_2 a)/\beta$, where V is the number of charges on the cylinder with a mean density $|\sigma| = Ve/2\pi ah$. C_p is the concentration of the polymer, C_{el} that of the electrolyte, α is the degree of ionization. The values calculated for $e \Delta Y/kT$ were checked on polymethacrylic acid in NaCl solution and yielded with $\alpha = 0.8$, $a \approx 5 \cdot 10^{-8}$ cm:

Card 2/4

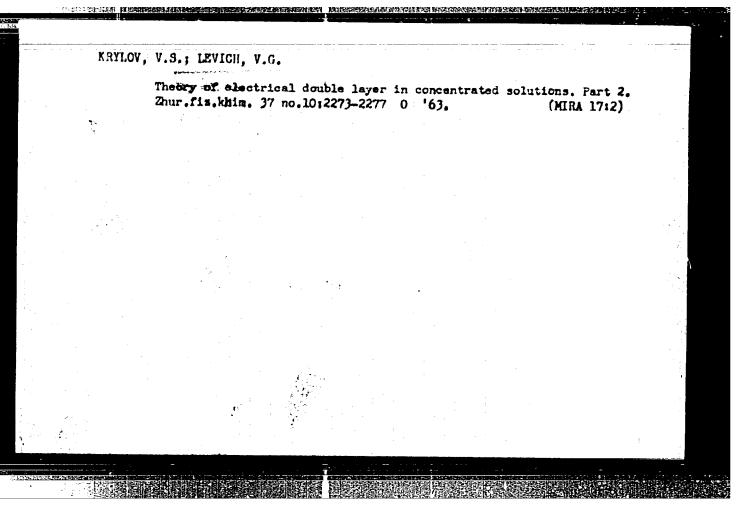
S/076/63/037/002/007/018 B101/B186

Determination of the potential ...

concentration	e Ay/kT exp	e AY/kT theor
C _p = 0.1 monomole/1 C _{el} = 0.1 mole/1	≈ 2.7	≈ 3.3
C _p = 0.05 monomole/1 C _{el} = 0.04 mole/1	 ≈ 4.2	≈ 5.6
C _p = 0.02 monomole/1 C _{el} = 0.01 mole/1	≈ 6	≈ 8.8.

The divergence between the experimental and the theoretical value increases with increasing dilution owing to the higher diffusivity of the double layer. For a ≥ 10-7 cm, a better agreement may be expected also

Card 3/4



LEVICH, V.O.; MARKIN, V.S.; CHIRKOV, Yu.G.

Electric conductivity and electron paramagnetic resonance signal in polymeric materials built up of molecules with conjugate double bonds. Dokl. AM SSSR 149 no.4:894-896 Ap 163. (MIRA 16:3)

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(Polymers-Electric properties)
(Electron paramagnetic resonance and relaxation)

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Kinetic and catalytic currents on a hanging dropping electrode.

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Faraday's heterodynation. Dokl. AN SSSR 153 no. 6:1374-1377 D 163. (MIRA 17:1)

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1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

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Properties of the double layer and the characteristic of the electrostatic adsorption of ions. Dokl. AN SSSR 155 no. 3: 662-665 Mr '64. (MIRA 17:5)

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Polarization curves for electrodes partly immersed in an electrolyte solution. Dokl. AN SSSR 157 no. 2:404-407 J1 64. (MIRA 17:7)

1. Institut elektrokhimii At. SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

ETRIVATOR, V.A., IFVID, V.G.

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Effect of the discreteness of adsorbed charge of interphase surface tension. Dokl. AN SSSR 159 no.2:409-412 N '64. (MIRA 17:12)

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VVEDENSKIY, B.A., glav. red.; VUL, B.M., glav. red.; SHTEYNMAN, R.Ya., zam. glav. red.; BALDIN, A.M., red.; VONSOVSKIY, S.V., red.; GALANIN, M.D., red.; ZERG.CV, D.V., red.; ISHLINSKIY, A.Yu., red.; KAFITSA, P.L., red.; KAFTSCV, N.A., red.; KOZODAYEV, M.S., red.; LEVICH, V.G., red.; LOYTSYANSKIY, L.G., red.; LUK'YANOV, S.Yu., red.; MAINSHEV, V.I., red.; MIGULIN, V.V., red.; REHINDEL, P.A., red.; SYRKIN, Ya.K., red.; TARG, S.M., red.; TYABLIKOV, S.V., red.; FEYNEERG, Ye.L., red.; KHAYKIN, S.E., red.; SHUBNIKOV, A.V., red.

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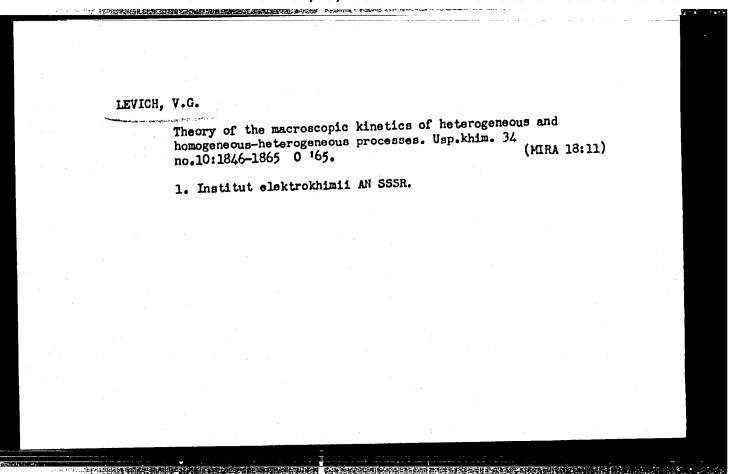
COL'DANSKIY, V.I.; KITAYGORODSKIY, I.I., prof.; KOST, A.N., prof.;

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VOROTILIN, V.P.; KRYLOV, V.S.; LEVICH, V.G. (Moskva)

Theory of the extraction of matter from a falling droplet.
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LEVICH, V.G.; KRYLOV, V.S.; VOROTHIAN, V.P.

Theory of extraction from a falling drop. Dokl. AN SSSR 160 no.6: 1358-1360 F '65. (MIRA 18:2)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN SSSR (for Levich).

LEVICH, V.G.; KRYLOV, V.S.; VOROTILIN, V.P.

Theory of unsteady diffusion from a moving drop. Dokl. AN SSSR 161 no.3:648-651 Vr 165. (MIRA 18:4)

1. Institut elektrokhimii AN SSSR. 2. Chlen-korrespondent AN S. SR (for Levich).

CIA-RDP86-00513R000929510016-8 "APPROVED FOR RELEASE: 08/23/2000

PISMON, I.M.; LEVICH, V.G.

Branching chains-thermal explosion limit. Dokl. AN SEER 165 no.1:144-146 N 165.

1. Institut elektrokhimit AN SSSR. 2. Chlen-korrespondent AN SSSR (for levich).

LEVICH, V.G.; BRODSKIY, A .M. General theory of homogeneous-heterogeneous processes in moving

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CIA-RDP86-00513R000929510016-8" APPROVED FOR RELEASE: 08/23/2000

Theory of homogeneous-heterogeneous radical reactions in a

Theory of homogeneous-heterogeneous radical reactions in a

Theory of homogeneous-heterogeneous radical reactions in a

(MIRA 19:1)

1. Moskovskiy gosudarstvennyy universitet im. M.V.Lomeneousa
i Institut elektrokhimi AN SCSR. 2. Chlen-korrespondent AN

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BRODSKIY, A.M.; LEVICH, V.G.

Rate of formation of surface deposits in an extensive chemical reactor. Dokl. AN SSSR 166 no.1:151-154 Ja *66. (MIRA 19:1)

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THIT JW/JKD/RM ENT(1)/ENP(m)/ENT(m)/ENP(1)/I LIP(a) SOURCE CODE: UR/0020/65/165/001/0144/0146 ACC NR. AP5027846 69 AUTHOR: Pis men, L. M.; Levich, V. G. (Corresponding member AM ESSR) 3 ORG: Institute of Electrochemistry, Academy of Sciences SSSR (Institut elektrokhimii Akademii nauk SSSR) TITLE: Limit of a thermal chain explosion COURCE: AN SSSR. Doklady, v. 165, no. 1, 1965, 144-146 TOPIC TAGS: combustion kinetics, thermal explosion, chain reaction, reaction rate, free radical ABSTRACT: The authors study the effect of slow nonradical reactions on the stability of stationary conditions in a chain process. The process considered involves a single type of radical with reactions of the first, second and zero order with respect to radical concentration. A system of nonlinear equations is given for the dimensionless concentrations of the initial radicals and molecules and for the dimensionless temperature in the reaction zone. It is assumed that the effect of temperature on the reac-

tion rate is given by the Arrhenius equation and that all three reactions take place with double collisions. The dimensionless variables for the molecular concentration and temperature are selected to give homogeneous boundary conditions for the initial system of nonlinear equations. A solution is given for this system in the form of a

Card 1/2

UDC: 541.126

GOLOVIN, A. M., LEVICH, V. G., and TOLMACHEV, V. V. ORG: none "Hydrodynamics of a System of Bubbles in a Liquid of Low Viscosity" Zhurnal Prikladnoy Mekhaniki i Tekhnicheskoy Fiziki, Moscow, No. 2, Mar-Apr 1966, pp. 63-71 TOPIC TAGS: Reynolds number, hydrodynamics Translation: The effect of the gas content and the shape occupied by a system of bubbles on the rate of their rise in an unlimited medium and a vertical cy- of bubbles on the rate of their rise in an unlimited medium and a vertical cy- lindrical column is investigated. Deformations of the system which are advan- landrical column is investigated. Deformations of the system which are advan- landrical form the energy standpoint are considered, with the assumption of a tageous from the energy standpoint are considered, with the system. A homogeneous and isotropic distribution of the bubbles in the system. A theoretical description of the motion of the bubbling processes. This problem has been quid is necessary for study of the bubbling processes. This problem has been quid is necessary for study of the bubbling processes. This problem has been for the so-called model of cells. In reference [1]* a similar model was used of the so-called model of cells. In reference [1]* a similar model was used for description of the motion of a system of bubbles of moderate dimensions (Re 300). It was assumed that at all instants of time each bubble is located (Re 300). It was assumed that at all instants of time each bubble is located is the center of an imaginary spherical cell of liquid, the radius of which is at the center of an imaginary spherical cell of liquid, the radius of which is at the center of an imaginary spherical cell of liquid, the radius of which is at the center of an imaginary spherical cell of liquid, the radius of which is at the center of an imaginary spherical cell of liquid is equal to zero on Also, the normal component of the velocity of the liquid is equal to zero on the surface of the cell. The first assumption is equivalent to the principl	ORG: none "Hydrodynamics of a System of Bubbles in a Liquid of Low Viscosity" Zhurnal Prikladnoy Makhaniki i Takhnichaskoy Fiziki, Moscow, No. 2, Mar-Apr 1966, pp. 63-71 TOPIC TAGS: Reynolds number, hydrodynamics Translation: The effect of the gas content and the shape occupied by a system of bubbles on the rate of their rise in an unlimited medium and a vertical cy- of bubbles on the rate of their rise in an unlimited medium and a vertical cy- lindrical column is investigated. Deformations of the system which are advan- tageous from the energy standpoint are considered, with the assumption of a homogeneous and isotropic distribution of the bubbles in the system. A theoretical description of the motion of the system of gas bubbles in the li- theoretical description of the bubbling processes. This problem has been quid is necessary for study of the bubbling processes. (Re 1) on the basis repeatedly studied in the case of small Reynolds numbers (Re 1) on the basis of the so-called model of cells. In reference [1]* a similar model was used for description of the motion of a system of bubbles of moderate dimensions for description of the motion of a system of bubbles of moderate dimensions (Re 300). It was assumed that at all instants of time each bubble is located (Re 300). It was assumed that at all instants of time each bubble is located (Re 300) the mean distance between the centers of the bubbles in the system. Also, the normal component of the velocity of the liquid is equal to the principle the surface of the cell. The first assumption is equivalent to the principle	L 06526-67 EWT(1)/EWP(m) WW SOURCE CODE: UR/0207/66/000/002/00	063/0071
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(Re 300). It was assumed that at the center of the radius of which is at the center of an imaginary spherical cell of liquid, the radius of which is at the center of the bubbles in the system. Lequal to the mean distance between the centers of the bubbles in the system. Also, the normal component of the velocity of the liquid is equal to zero on the Also, the normal component of the velocity of the liquid is equal to zero on the surface of the cell. The first assumption is equivalent to the principle the surface of the cell.	(Re 300). It was assumed that the center of the radius of which is at the center of an imaginary spherical cell of liquid, the radius of which is equal to the mean distance between the centers of the bubbles in the system. Legual to the mean distance between the centers of the bubbles in the system. Also, the normal component of the velocity of the liquid is equal to zero on the surface of the cell. The first assumption is equivalent to the principle	of bubbles on the rate of their transfer of the system which are advan- lindrical column is investigated. Deformations of the system which are advan- tageous from the energy standpoint are considered, with the assumption of a homogeneous and isotropic distribution of the bubbles in the system. A homogeneous and isotropic distribution of the system of gas bubbles in the li- theoretical description of the motion of the system of gas bubbles in the li- quid is necessary for study of the bubbling processes. This problem has been quid is necessary for study of the bubbling processes. (Re 1) on the bas repeatedly studied in the case of small Reynolds numbers (Re 1) on the bas of the so-called model of cells. In reference [1]* a similar model was used for description of the motion of a system of bubbles of moderate dimensions	n is
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L 08727-67 EWT(m)/EWP(t)/ETIIJF(c)JDUR/0040/66/030/00 ACC NR. AP7001650 SOURCE CODE: UR/0040/66/030/00	3/0467/0475
AUTHOR: Lovich, V. G. (Moscow); Myasnikov, V. P. (Koscow) ORG: none	43
TITE: Kinetic model of a fluidized bod	•
SOUNCE: Prikladnaya matematika i mokhanika, v. 30, no. 3, 1966, 467-475	
TOPIC TAGS: fluid mochanics, fluid kinetics	
ABSTRACT: The characteristic feature of almost all processes occurring in a fluidized bed is their strong dependence on the nature of the mechanical motion of the solid particles forming the layer. An attempt is made to construct a theoretical mode which would adequately describe this motion. In existing mode there is no explanation of the nature of the sharp transition to the psuedofluid state and the velocity distribution of the particles is neglected, as is the relation of this distribution to the parameters of gas motion, etc.	o 3 ol els
A very simple kinetic model of a fluidized bed is proposed. Is based on the idea that the solid particles in such a layer	
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can be simulated by a set of elastic spheres, while their interaction with the fluidizing gas diffuses the points representing action with the fluidizing gas diffuses the points representing a particle in its velocity space. Results obtained with the model are qualitatively close to experimental results. An example is given in which the mean reaction rate is calculated in a unit volume of a fluidezed bed. Orig. art. has: 3 figures and 3 formulas. [JFRS: 37.75]

SUB CODE: 20 / SUBM DATE: 29Nov65 / ORIG REF: 005 / OTH REF: 001

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                    ENT(1)
 ACC NR. AP601/165
                              IJP(c)
                                              SOURCE CODE: UR/0053/66/088/004/0787/0788
 AUTHOR: Levich, V.
 ORG: none
         "New" magnetic effect
 TITLE:
                                                                                   40
SOURCE: Uspekhi fizicheskikh nauk, v. 88, no. 4, 1966, 787-788
                                                                                  B
TOPIC TAGS: magnetic effect, magnetic field, boiler, metal scaling
ABSTRACT: A "new" magnetic effect on water has been given more than passing
     attention in the Soviet popular science periodicals and newspapers. Recently
     the discussion reached the pages of the scientific monthly Uspekhi fiziche-
    skikh nauk. V. G. Levich, in a letter to the editor of the publication,
    describes the effect on the basis of various popular versions as a change
     in certain properties of water when it is passed through a magnetic field
     of special geometric configuration. The effect has been used, it is said, to reduce scale-formation in boilers by augmenting the proportion of vapor
    bubbles in the water at the expense of those originating on the heated walls.
          Levich, apparently a scientist himself, asks the editor of Handle
    sicheskikh nauk to clarify the to
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